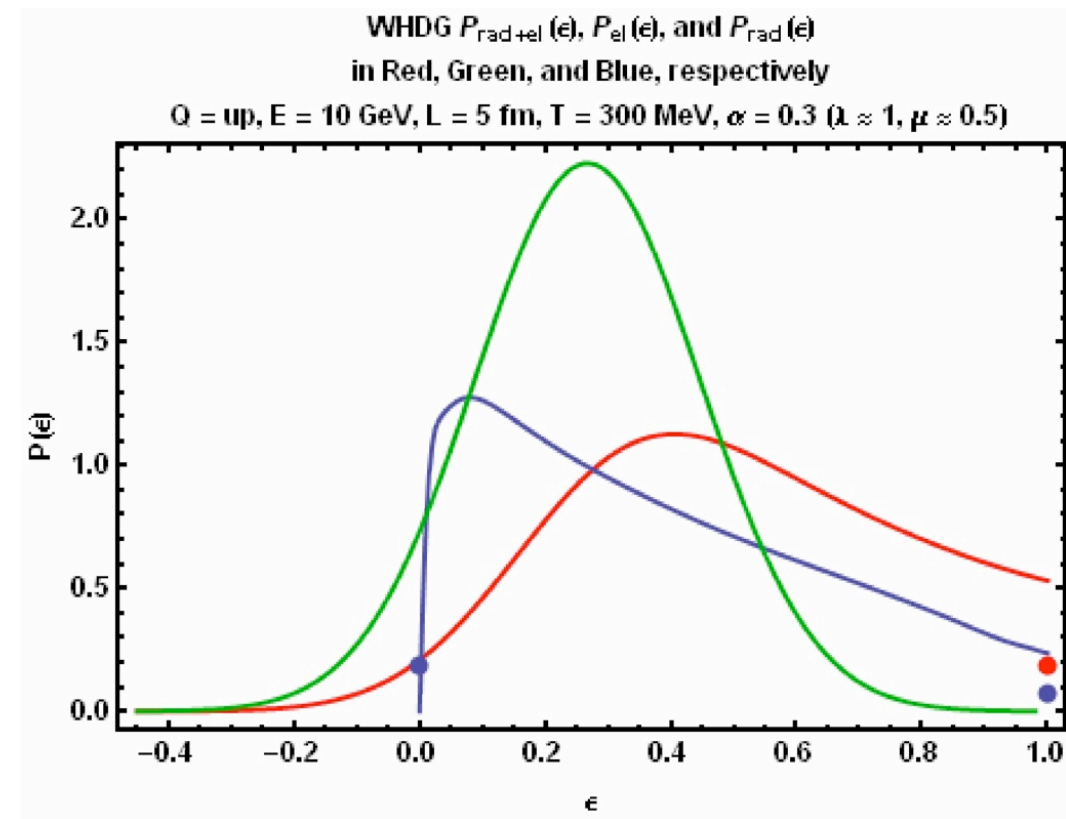
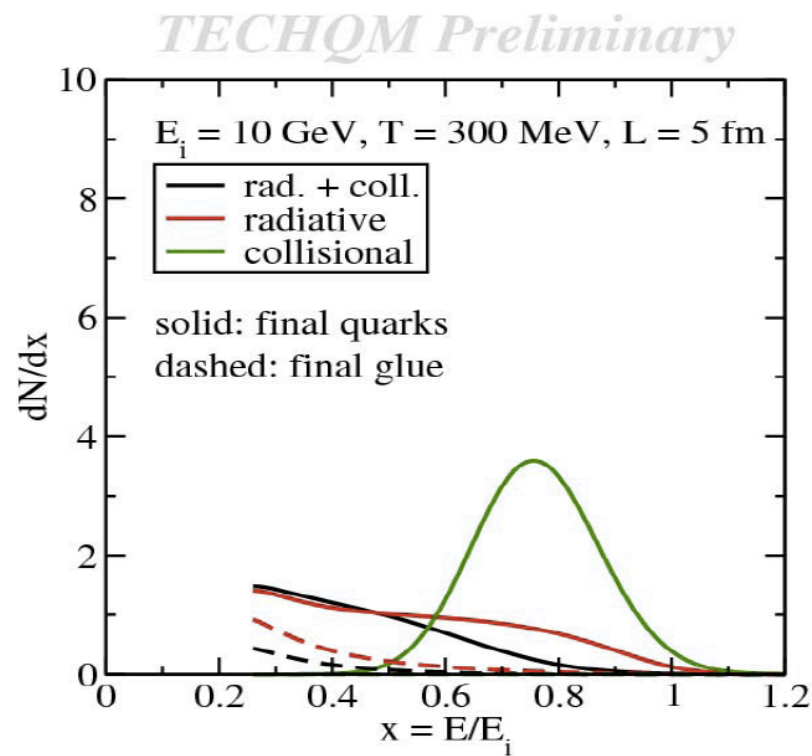


QGP Brick: What to do next?

- Redesign comparison schemes
- ΔE Scheme:
 - Keep $\Delta E/E = \int dx x P(x)$ fixed
 - Intuitive, but overemphasizes poorly controlled $x \rightarrow 1$ region
- R scheme: $R(p) = f(p)^{-1} \int dx dz f\left(\frac{p}{(1-x)z}\right) D(z) P(x) \longrightarrow \int dx \rho(x) P(x)$
 $f(p) \sim p^{-n} \longrightarrow \rho(x) \sim (1-x)^n \int dz z^n D(z)$
 - Strongly weights $x \rightarrow 0$ region
- Compare directly R_{AA} with correct hadronization

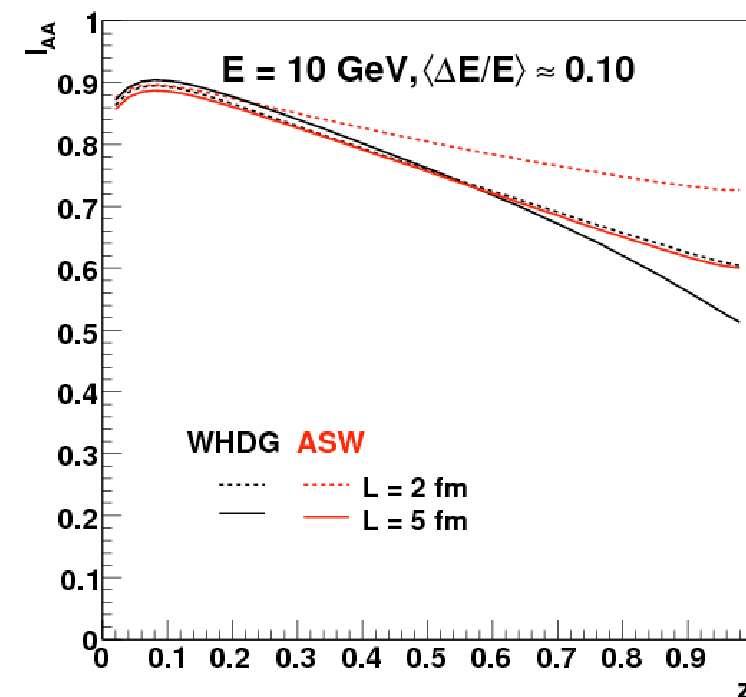
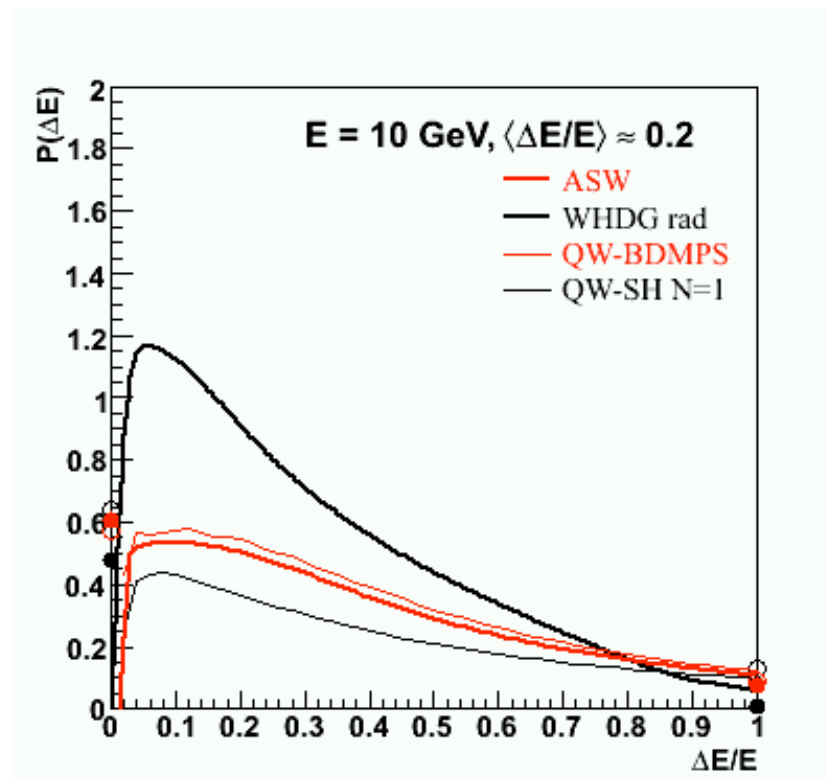
- WHDG and AMY are directly comparable:

- ▶ Calculations can be done for same E, L, T, α_s . Compare the same observables in the same figure.
- ▶ Make sure that apples are compared with apples: gluon medium only, check whether groups agree on q -hat (i.e. λ and μ^2).



- WHDG and ASW are directly comparable:

- ▶ Calculations can be done for same E, L, α_s .
- ▶ Compare in ΔE and in R schemes, and after R_{AA} after fragmentation.
- ▶ Compare q -hat leading to same $\Delta E, R$.
- ▶ Compare R for same q -hat.
- ▶ Explore, if $x(1-x)$ kinematic constraint can be implemented in ASW.



- HT, AMY and WHDG are comparable:

- ▶ Calculations can be done for same $E, L, \alpha_s, q\text{-hat}$.
- ▶ Compare R_{AA} after fragmentation.
- ▶ Fix R_{AA} and compare $q\text{-hat}$ for same E, L, α_s .

